

*Dynamics of End-to-End Bandwidth Allocations in
QoS-adaptive Data Connections*

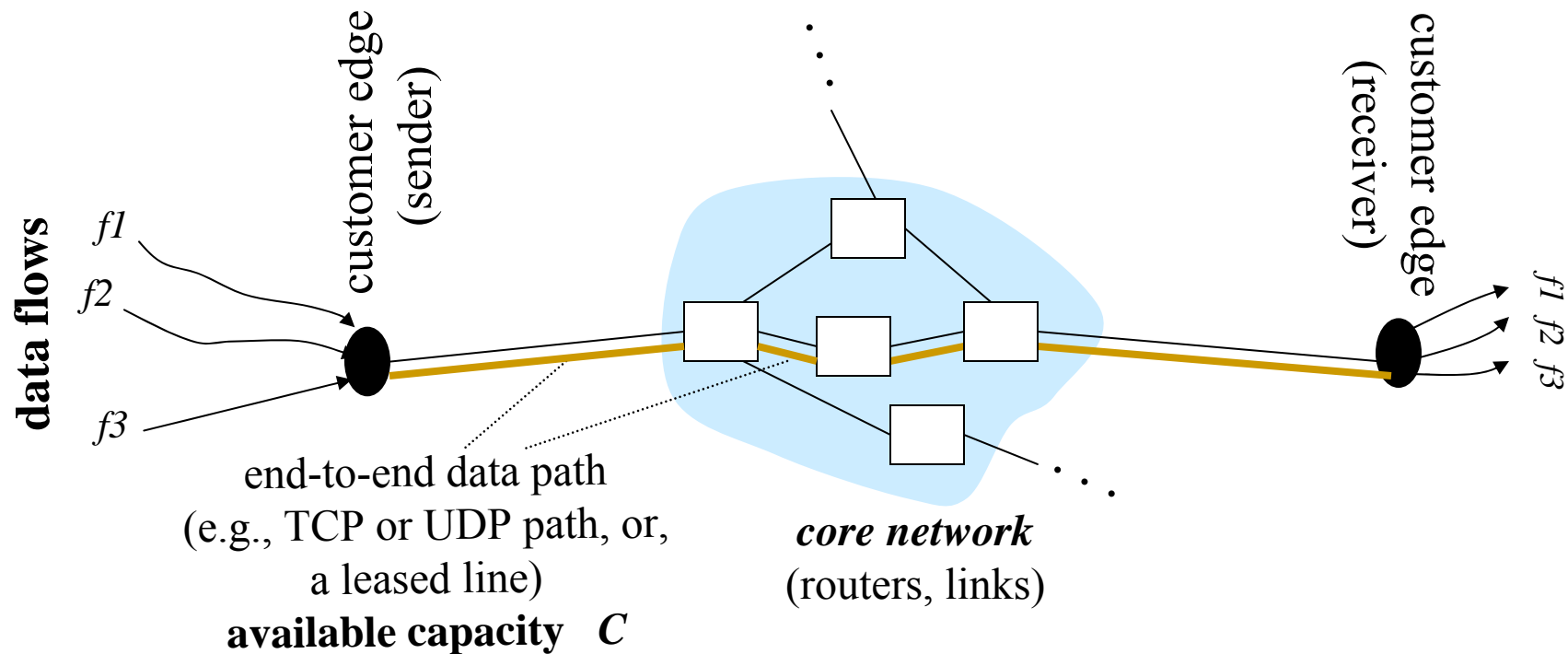
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Organization of talk

- *Application-controlled* `diffserv'-style flow classification
- ‘data connections’ vs ‘data flows’
[Hose model, class-based queuing, etc]
- Dynamic adaptation control at connection end-points
- Our study of *end-to-end bandwidth control dynamics*
- Experimental results of simulation
- Summary and future works

Problem statement

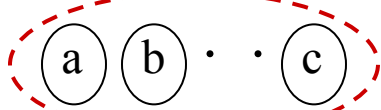


GOAL: To determine the bandwidth allocation B that suffices to carry the data flows f_1, f_2, f_3 --- where $B < C$

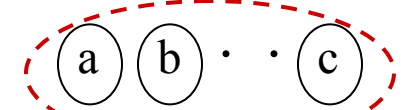
- ^^ Path capacity C is shared with other data traffic
- ^^ Connectivity service provider wishes to maximize revenues (by minimizing B)

Our view of connectivity service

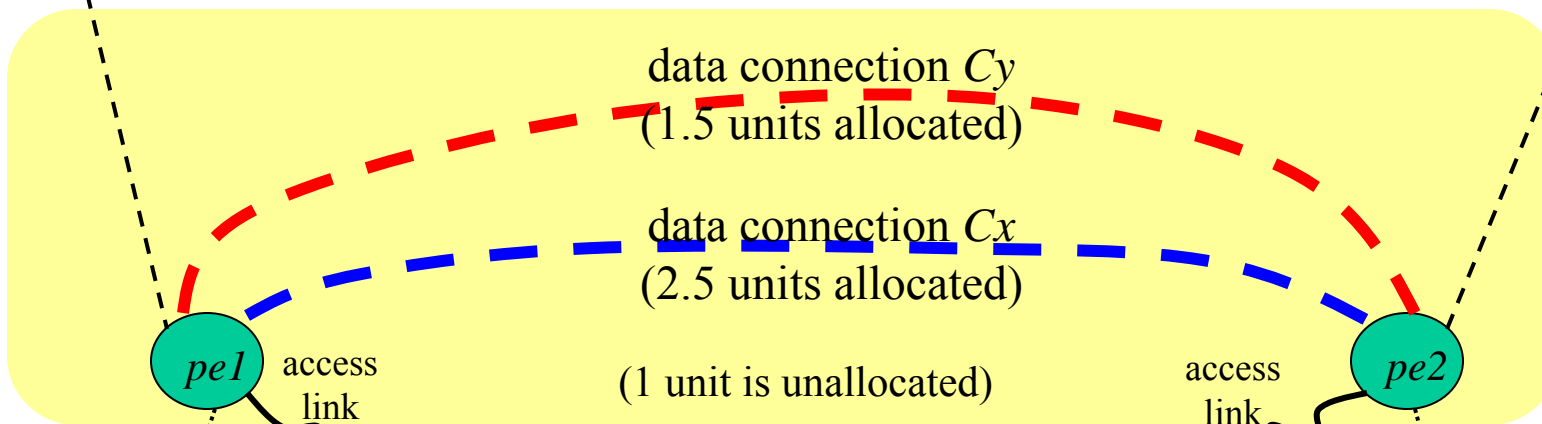
sending applications



receiving applications

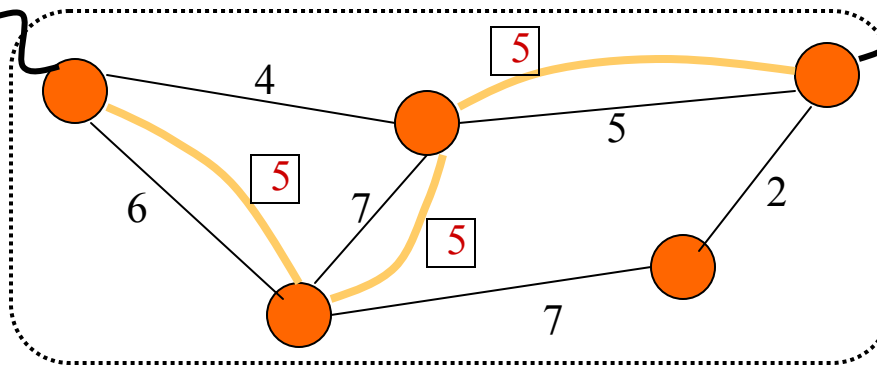


CONNECTIVITY SERVICE PROVIDER



end-point
(say, in New York)

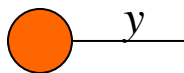
end-point
(say, in London)



NETWORK INFRASTRUCTURE



path segment with x units of bandwidth availability



Network element in the infrastructure with y units of bandwidth capacity

Logical ‘data connections’ are objects visible to end-systems, to which bandwidth allocations are assigned (each connection carries multiple data flows)

Layered view of bandwidth allocation

Two main characteristics:

1. **Fuzziness in estimating the bandwidth needs** to service a data flow

(arises due to the inability to precisely characterize the flow parameters)

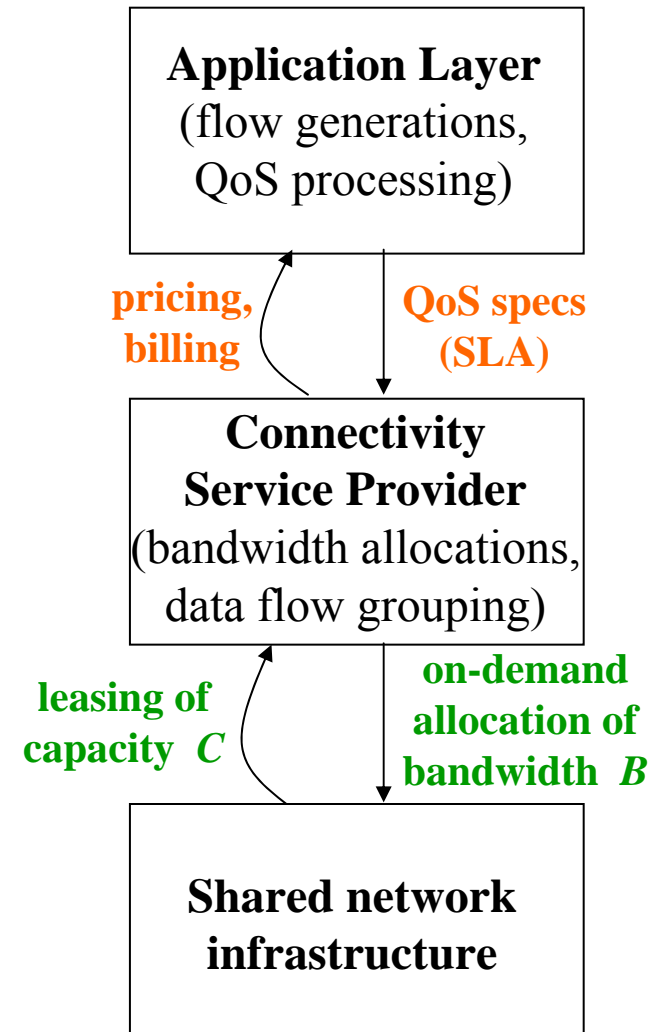
2. **Statistical sharing of bandwidth** among data flows

(arises due to the bursty and random nature of bandwidth demands)

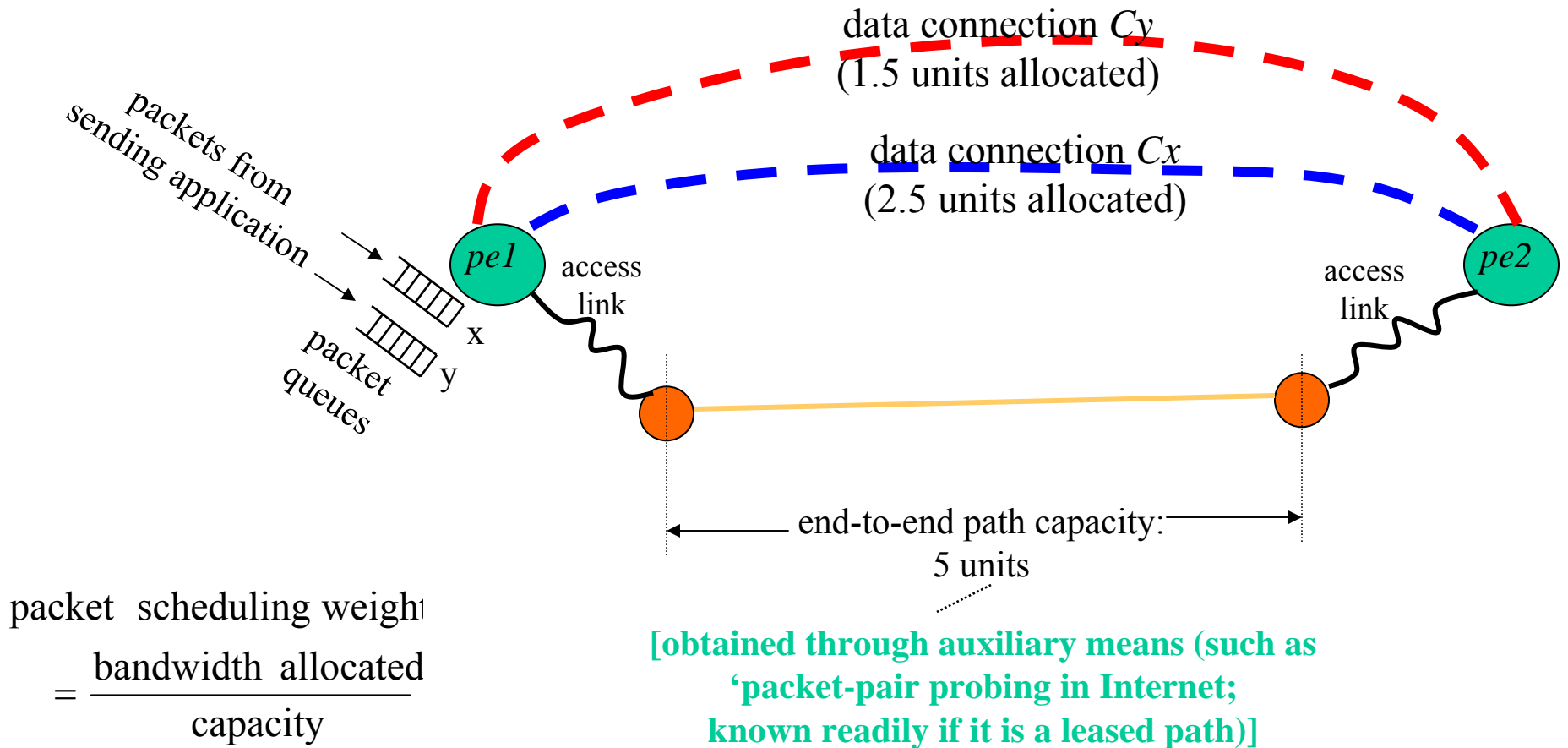
bandwidth allocation $B < C$

Service provider's goals:

Maximize revenues by minimizing B



What exactly “bandwidth allocation” means ?



bandwidth allocation on C_x : 2.5 units



[scheduling weight of packet queue(x)=0.5]

bandwidth allocation on C_y : 1.5 units



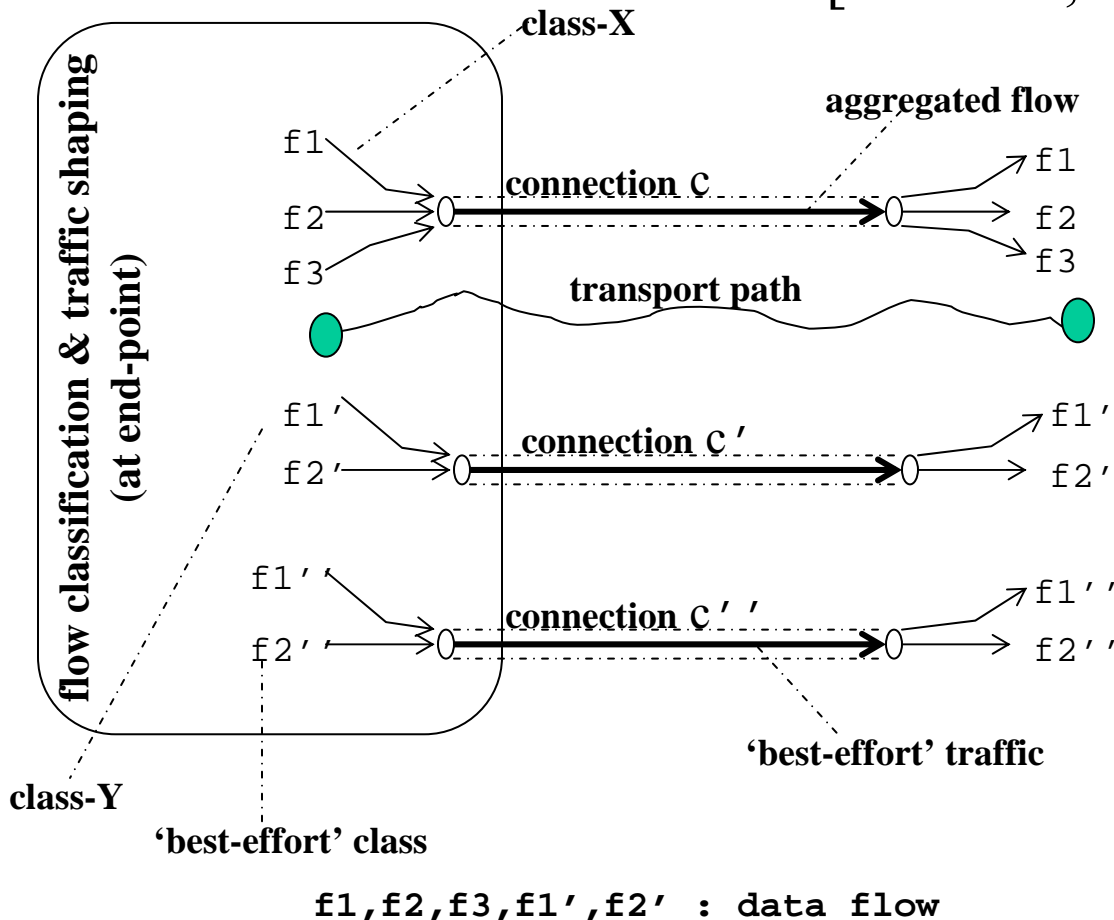
[scheduling weight of packet queue(x)=0.3]

WFQ scheduling of packets from end-point queues

'data connections' versus 'data flows'

'data flow' → end user-level object for QoS specs

'data connection' → system-level object for bandwidth management
(similar to a "hose" in the hose model of VPNs
[Duffield, K.K. Ramakrishnan, et al])



Admission control

ADMIT_FLOW (f_{N+1}, q, X)

additional bandwidth $Z := F(q, N+1) - F(q, N)$;

if [$Z < avail(X)$]

admit new flow f_{N+1}

$avail(X) := avail(X) - Z$;

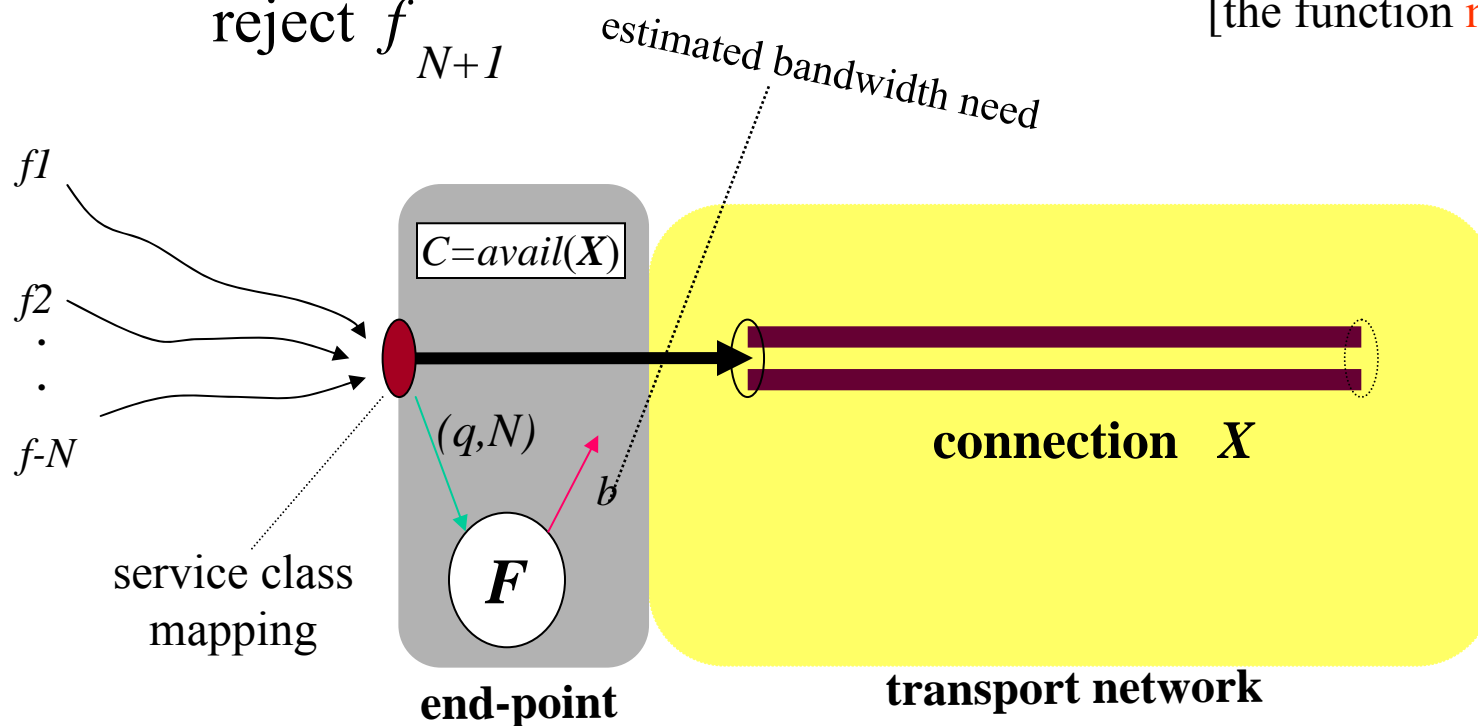
else

reject f_{N+1}

q : flow descriptor

F (..): bandwidth estimator for
an aggregated set of flows

[the function **may not be known**]

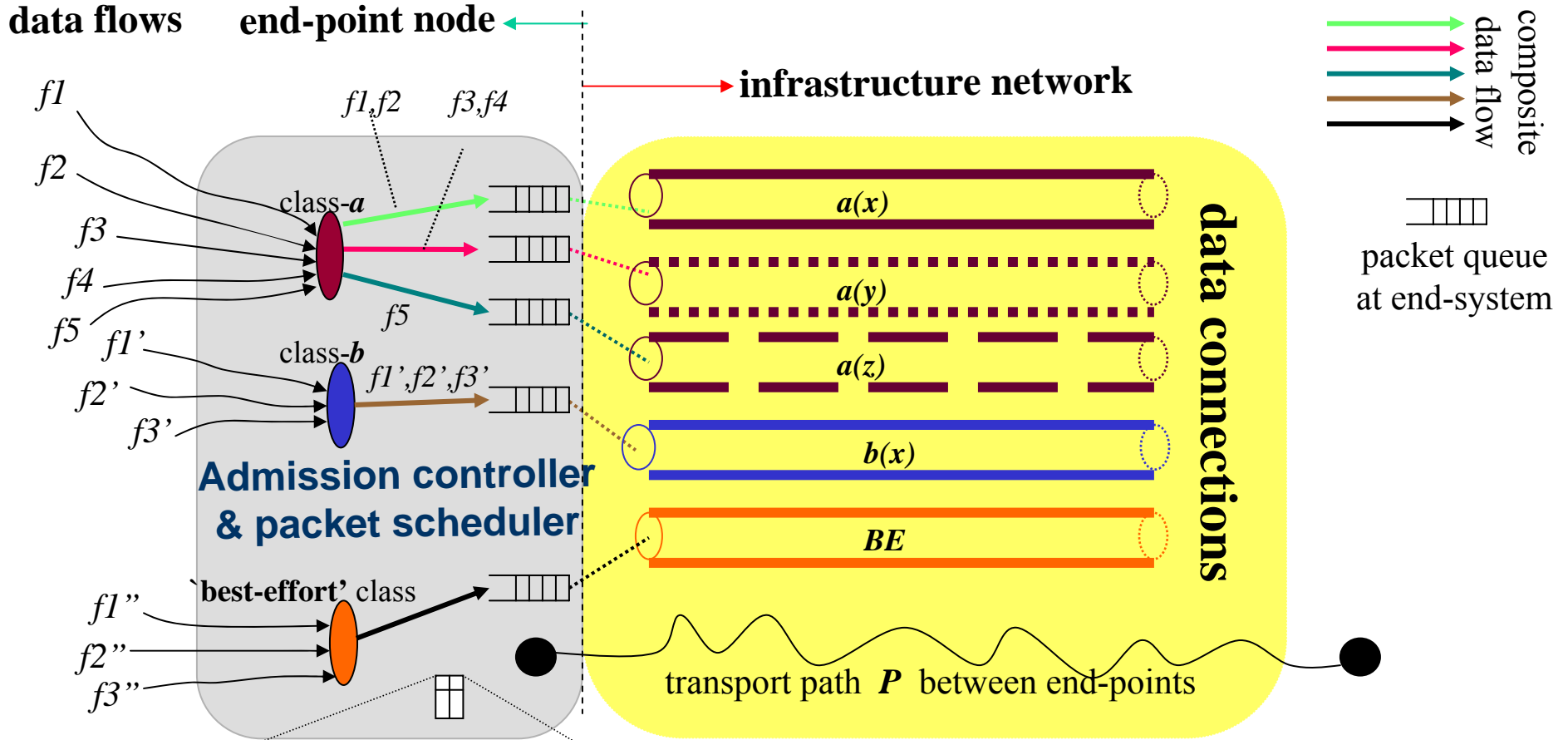






Admission control (. . . contd.)

Edge node of an end-to-end path P may:

- ** Aggregate *closely-similar* flows for ease of estimation of combined bandwidth needs [using policy functions $F(..)$]
 - ** Reject new flows if the estimated (combined) bandwidth needs exceed the available capacity of P
1. Two flows are closely-similar \rightarrow same data rate, delay, loss spec
(or associated with a single application-specified label)
 2. closely-similar flows fall under the same service class.
(applications determines the # of classes
 \rightarrow somewhat differs from CBQ model [S. Floyd, V. Jacobsen])

Admission control (. . . contd.)



available bandwidth along path P	class-a		2	$avail(a,x)$
			2	$avail(a,y)$
			1	$avail(a,z)$
	class-b		3	$avail(b,x)$

state tuple in table

(path capacity, {(service class id, flow descriptor),
{(connection id, # of flows aggregated,
available capacity in connection)}})

each flow is a
MPEG video
stream of
“Jurassic Park”

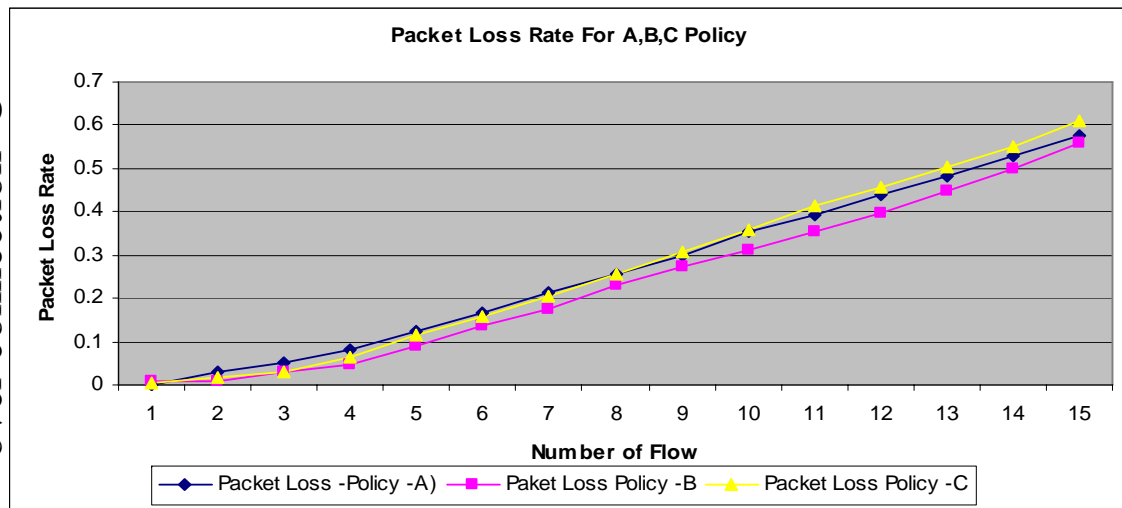
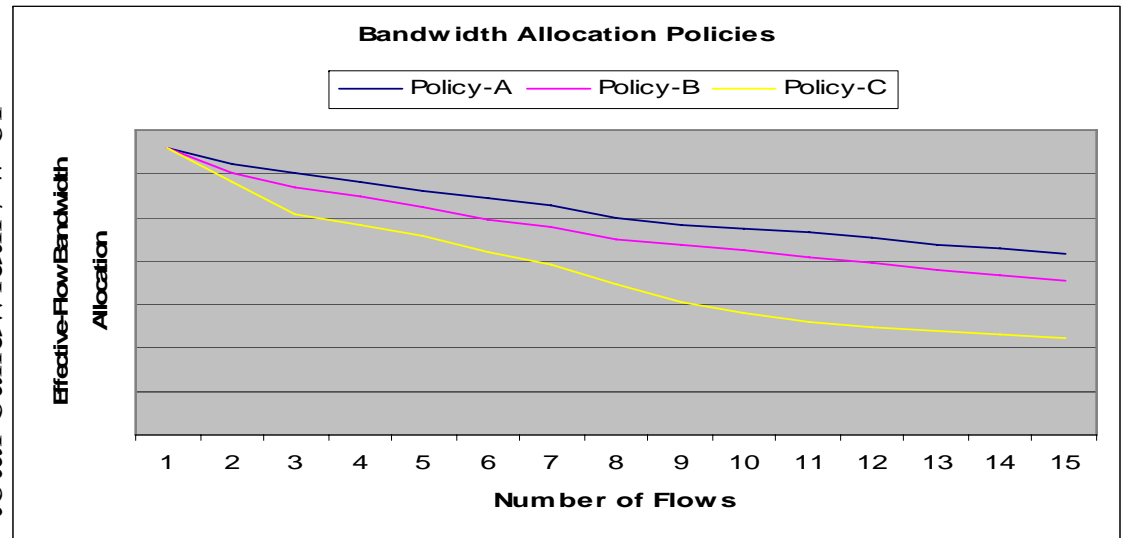
Is there a quantifiable benchmark of statistical multiplexing “bandwidth gains” ??

per-flow bandwidth
allocation in *mbps*
(pre-computed for study purposes)

Number of Flow	Policy-A	Policy-B	Policy-C
1	3.3	3.3	3.3
2	3.1	3	2.9
3	3	2.85	2.54
4	2.9	2.73	2.41
5	2.8	2.62	2.29
6	2.71	2.48	2.1
7	2.63	2.38	1.95
8	2.5	2.25	1.72
9	2.41	2.18	1.53
10	2.37	2.12	1.41
11	2.33	2.04	1.29
12	2.26	1.97	1.24
13	2.19	1.9	1.2
14	2.14	1.83	1.15
15	2.08	1.77	1.11

tables to represent
allocation policies *F-A*, *F-B*, *F-C*
are not known before-hand

Per-flow allocation =
total bandwidth / # of
Packet loss/delay
over connection C



of data flows sharing bandwidth over connection C (*n*)

policy C is more aggressive than policy B;
policy B is more aggressive than policy A

Difficulties

Unfortunately, the estimator function $F(..)$ that is needed for optimal control of bandwidth allocation *is not known before-hand*

Reasons:

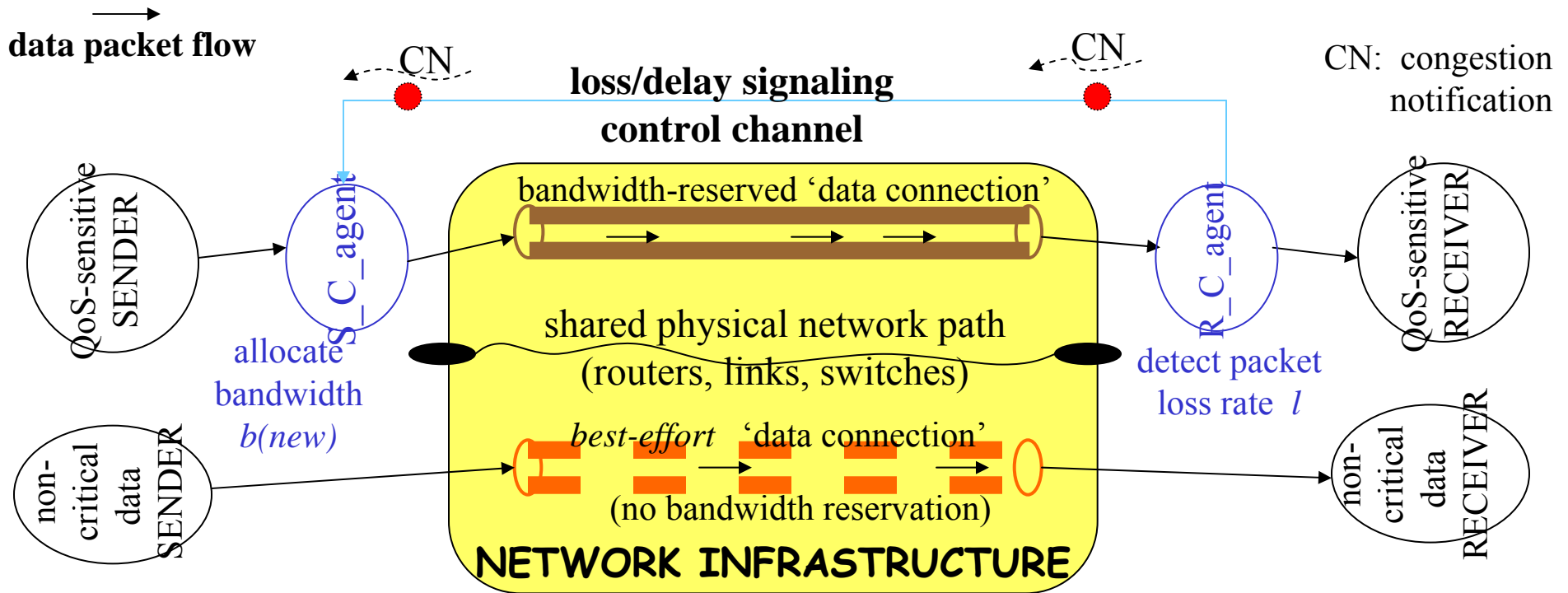
1. **Fuzziness in estimating the bandwidth needs** to service a data flow
Arises due to the inability to precisely characterize the flow parameters
2. **Statistical sharing of bandwidth** among data flows
Arises due to the bursty and random nature of bandwidth demands that are too complex to quantify

Issues on hand:

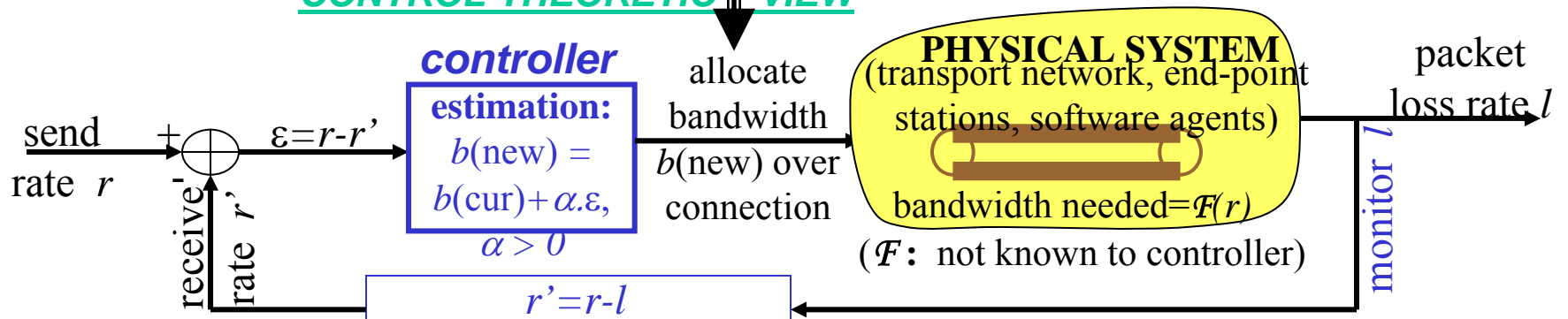
- How much bandwidth to allocate, because $F(...)$ is not known ??
- Resort to a “**allocate-and-see-what-happens**” approach
using an iterative procedure
[on-line identification of $F(..)$ is needed]
(estimator function for allocation requirements to reap statistical multiplexing gains)

Our approach to bandwidth allocations:

on-line monitoring and control



CONTROL-THEORETIC VIEW



Iterative procedure for bandwidth adjustment

Multiplicative Increase additive decrease (MIAD)

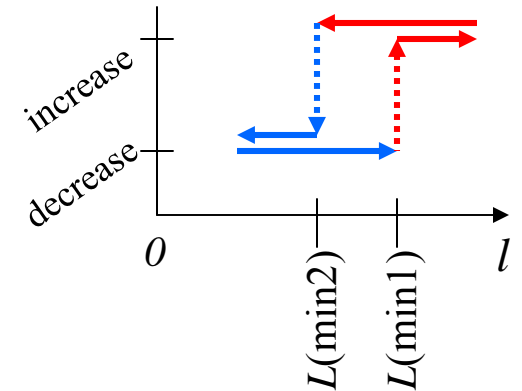
In each ‘loss reporting’ interval

$$b(\text{new}) = b(\text{cur}) + \alpha \cdot l \quad \text{when } l > L(\text{min1}),$$

where $\alpha > 0$

$$b(\text{new}) = b(\text{cur}) - \beta \quad \text{when } l < L(\text{min2}),$$

where $\beta > 0$



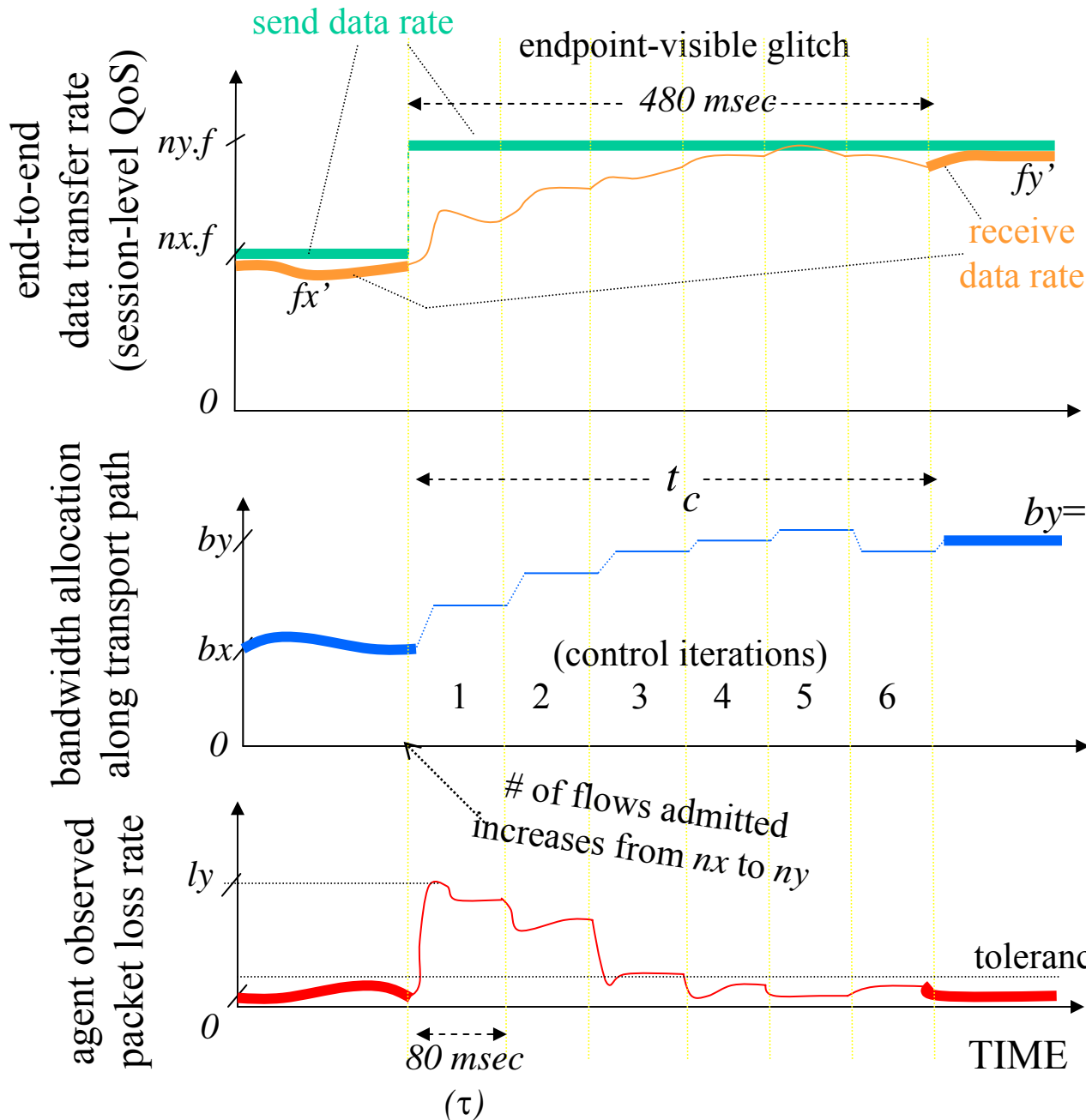
l : observed packet loss rate

$L(\text{min1}), L(\text{min2})$: Acceptable loss thresholds

[$L(\text{min2}) < L(\text{min1})$, to avoid ping-pong effect]

- ^^ Each execution of this procedure constitutes a “**control iteration**”
- ^^ A sequence iterations that lead to a steady-state in bandwidth allocation (when the flow specs changes or a set of new flows are admitted) constitutes a “**control round**”

A sample scenario of iterative allocation of bandwidth



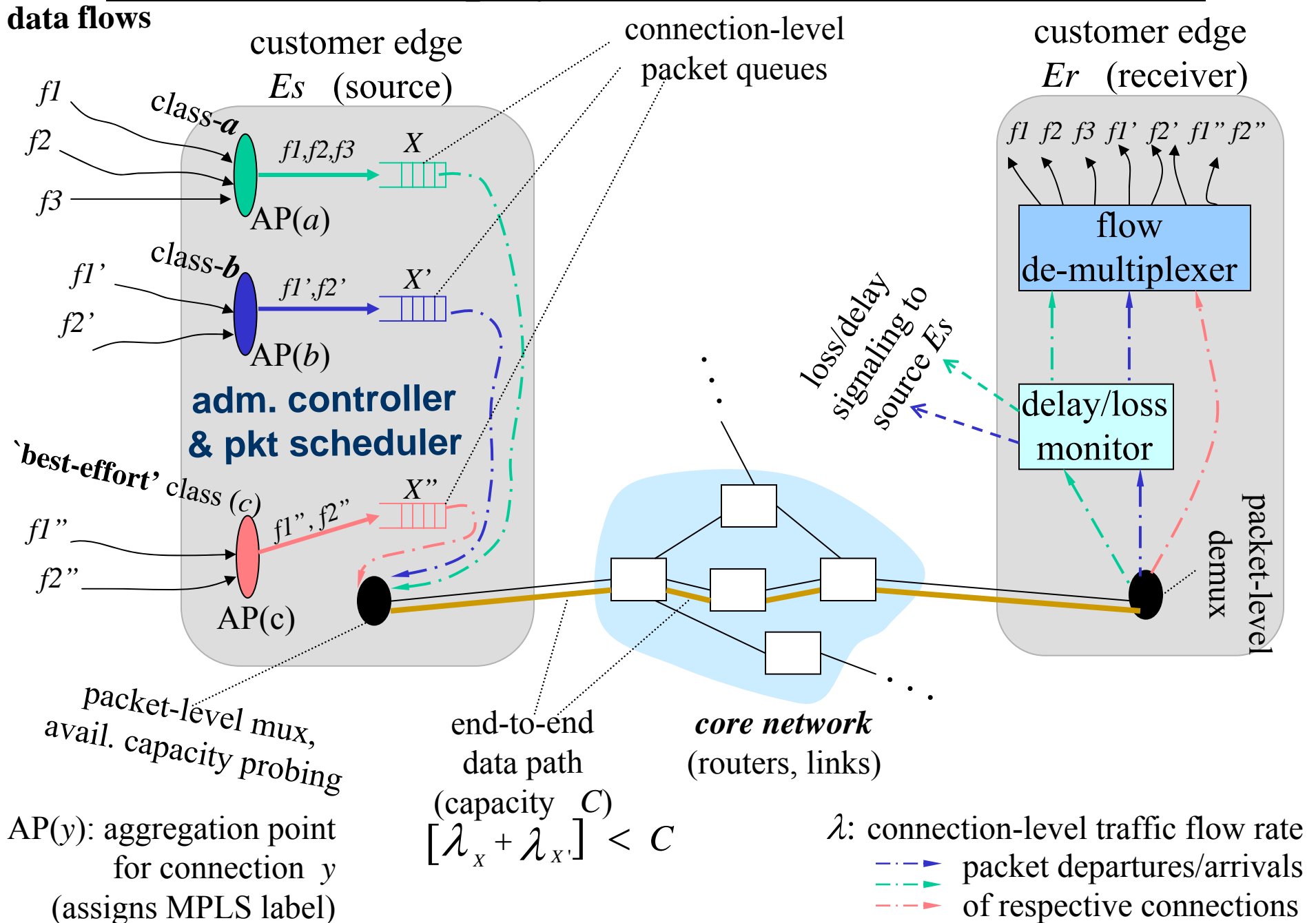
bandwidth allocated along path for $nx = 10$ is 25mbps ; video data rate $f = 3\text{mbps}$; packet size = 10000 bits ; network capacity = 100mbps ; 200 back-to-back packets observed \rightarrow which impacts τ

what is the bandwidth need for, say, $ny = 16$??

τ : time constant of system

t_c : time taken for on-line identification of $F(..)$

Architecture employed for “monitor-and-control”



Experimental studies by simulation

^^ Employed discrete-event simulation (at packet-level)

^^ Generated ‘packet arrival’ events based on video traces
[Jurassic Park]

^^ 3 ‘data connections’ plus a ‘best-effort connection’
are simulated

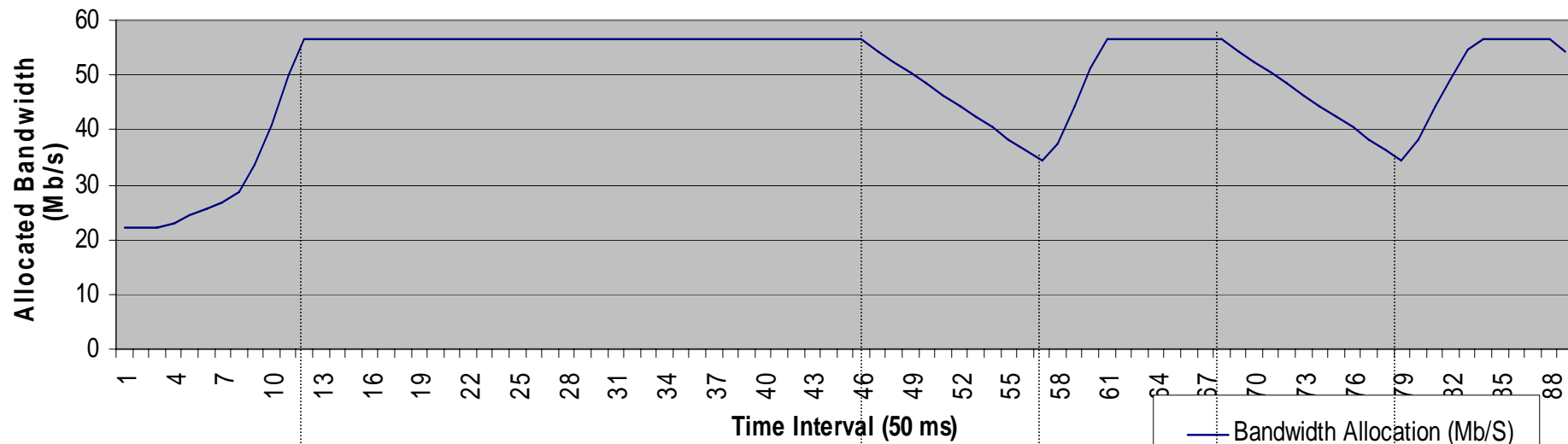
(each connection has 10 flows, each flow being a video stream)

^^ 100 *mbps* single-hop physical link in core network
(packets sent through an access router)

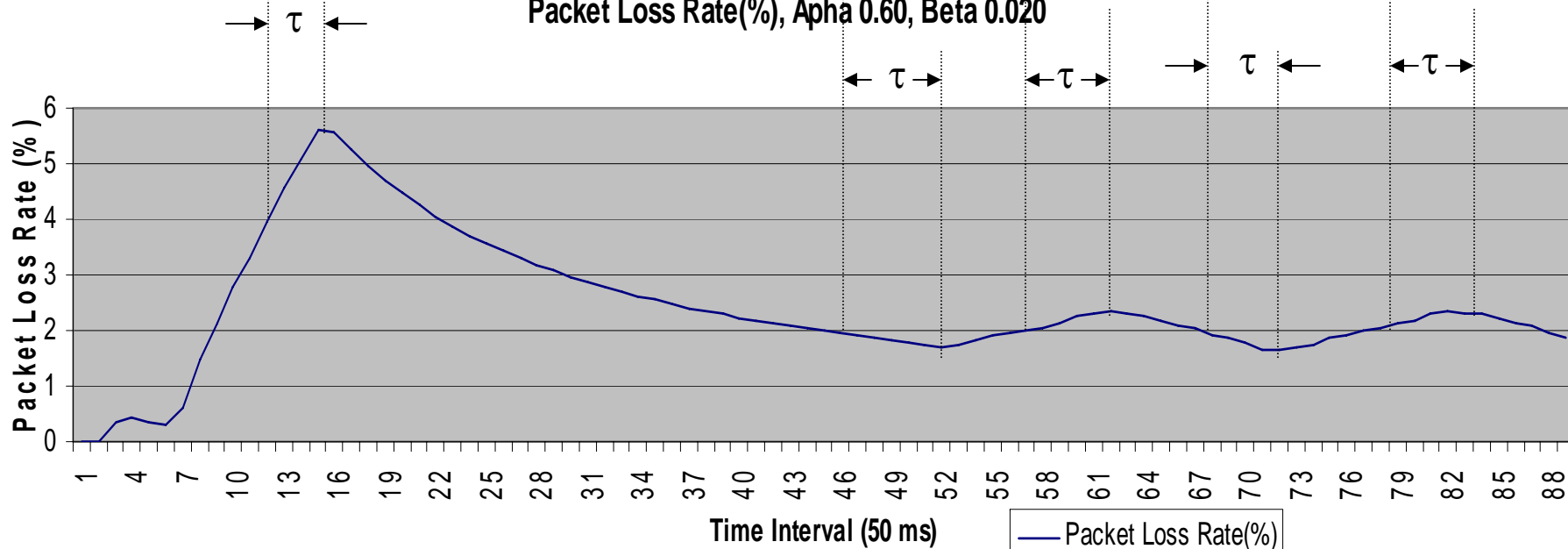
^^ Packet-loss monitoring by sequence numbers (assigned
along the ‘management’ plane by monitor agents)

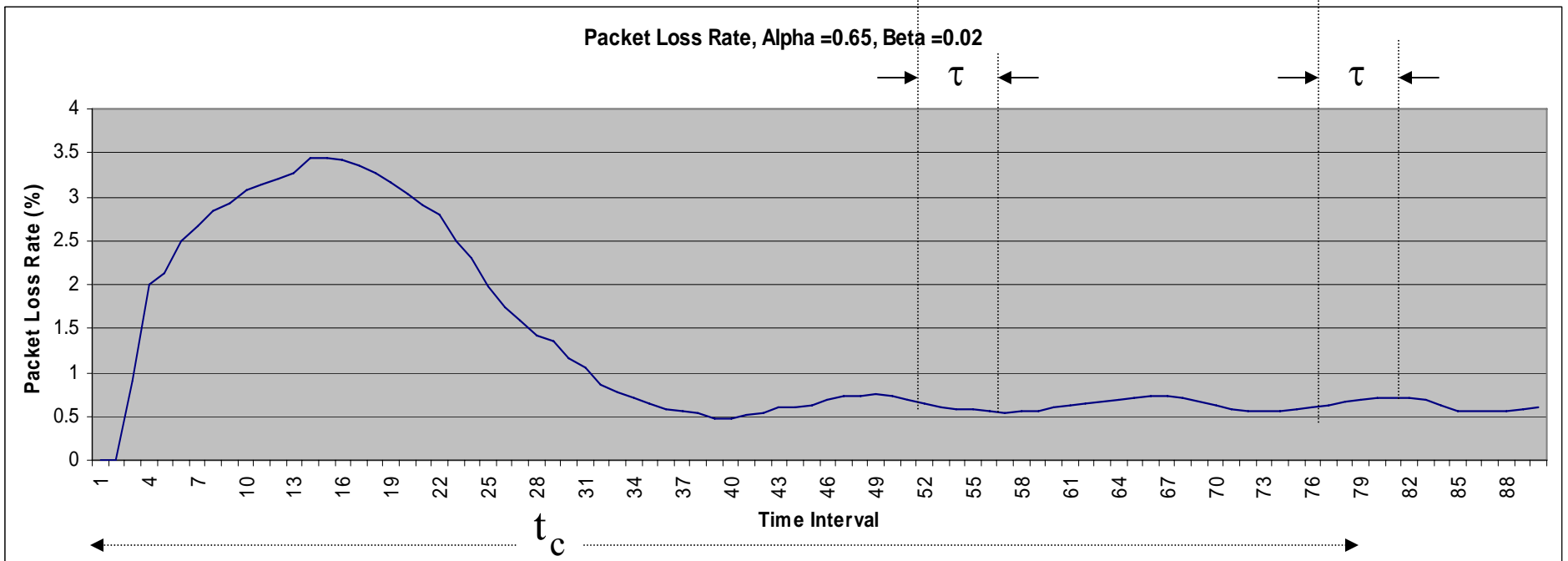
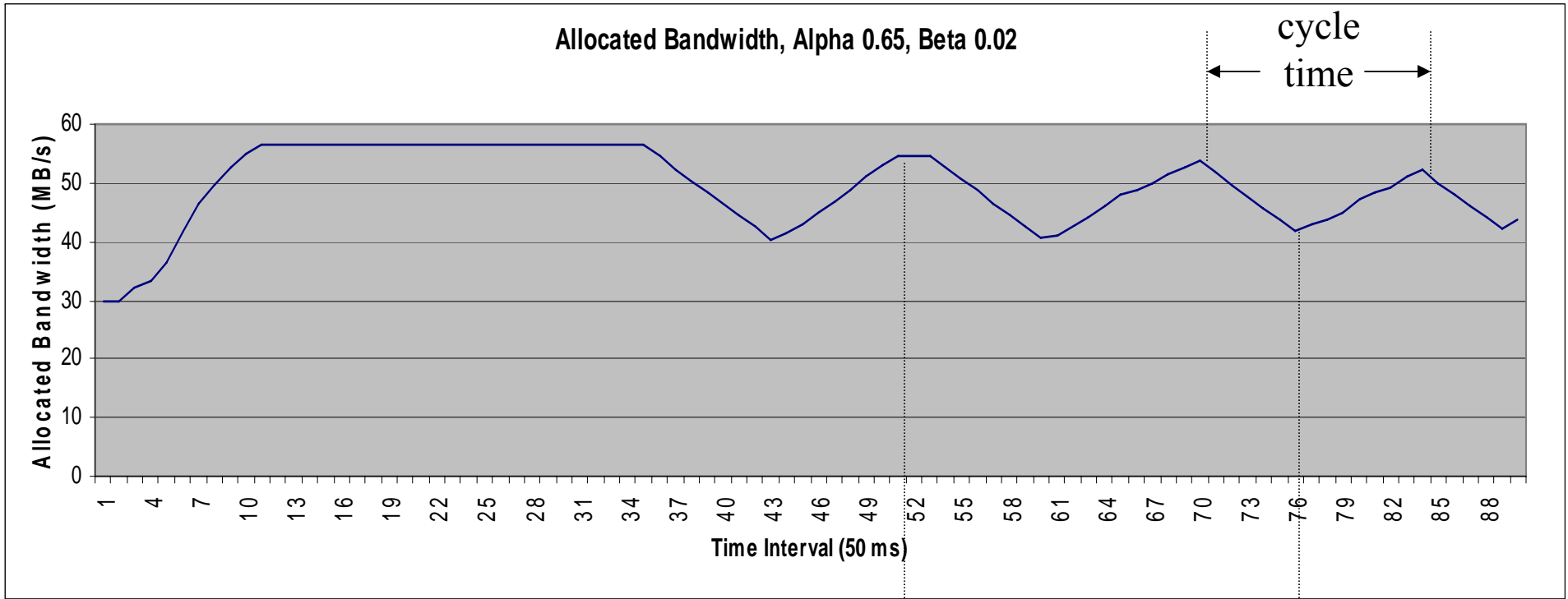
τ : time constant

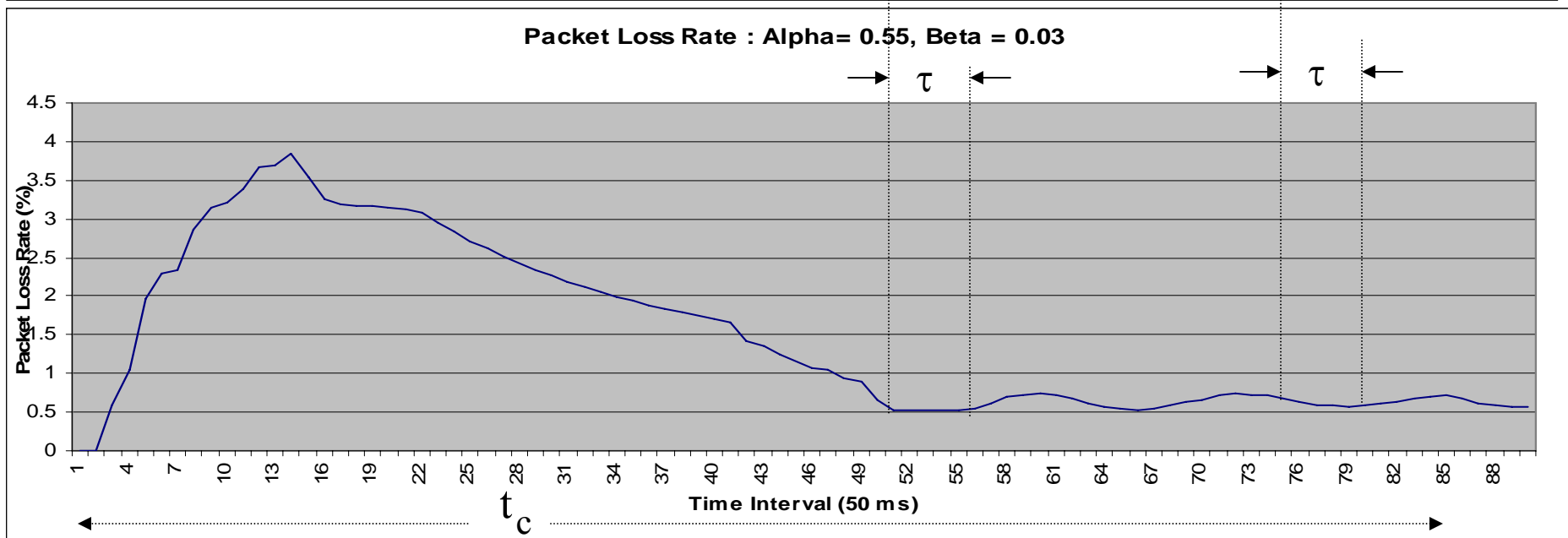
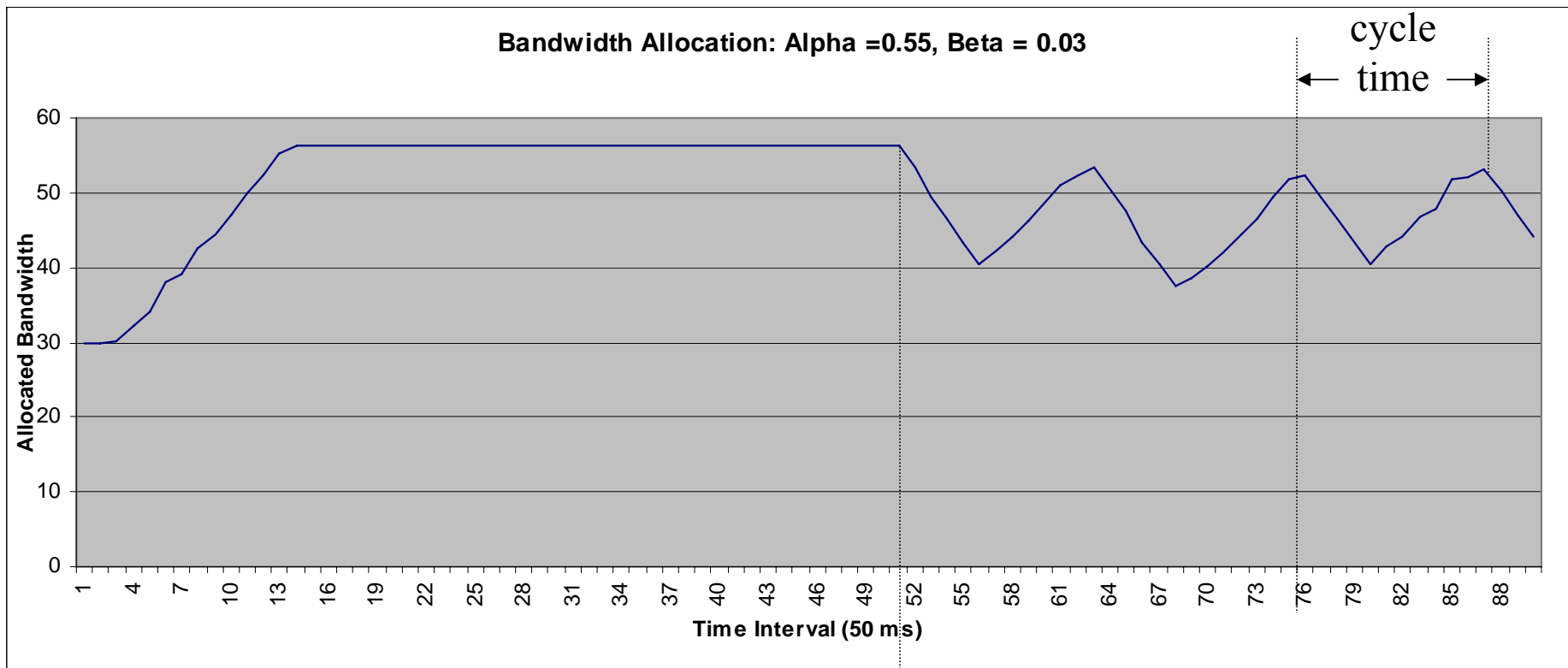
Bandwidth Allocation (Mb/S), Alpha 0.60, Beta 0.02



Packet Loss Rate(%), Alpha 0.60, Beta 0.020







Observations on experimental results

- ^^ In our simulation we multiplexed 3 connections: #1 has 10 flows multiplexed, #2 has 8 flows, and #3 has 6 flows; (combined) bandwidth allocation is: 30 mbps, 25 mbps and 20 mbps respectively.
- ^^ To observe the multiplexing effects, we then increased the # flows in connection 1 from 10 to 16 (by injecting 6 new flows) .
- ^^ The result shows it takes about 1.2 second for the bandwidth adaptation procedure to complete successfully.
- ^^ $\tau \approx 225 \text{ msec}$ (time it takes to loss rate to decrease / increase after an additional bandwidth has been allocated /de-allocated).
- ^^ After injecting 6 new flows, we achieve optimal bandwidth of 45 mbps (which is 2.8 mbps per flow allocation
 - ➔ savings of 3.0 mbps across 16 flows, i.e., about 0.2 mbps savings per flow) .

Summary

Bandwidth allocation problem is intractable because it is difficult to quantify as to what the right level of statistical multiplexing gains should be while not violating the end-user's QoS

(service provider's revenue goals conflict with end-user's QoS utility)

Solution:

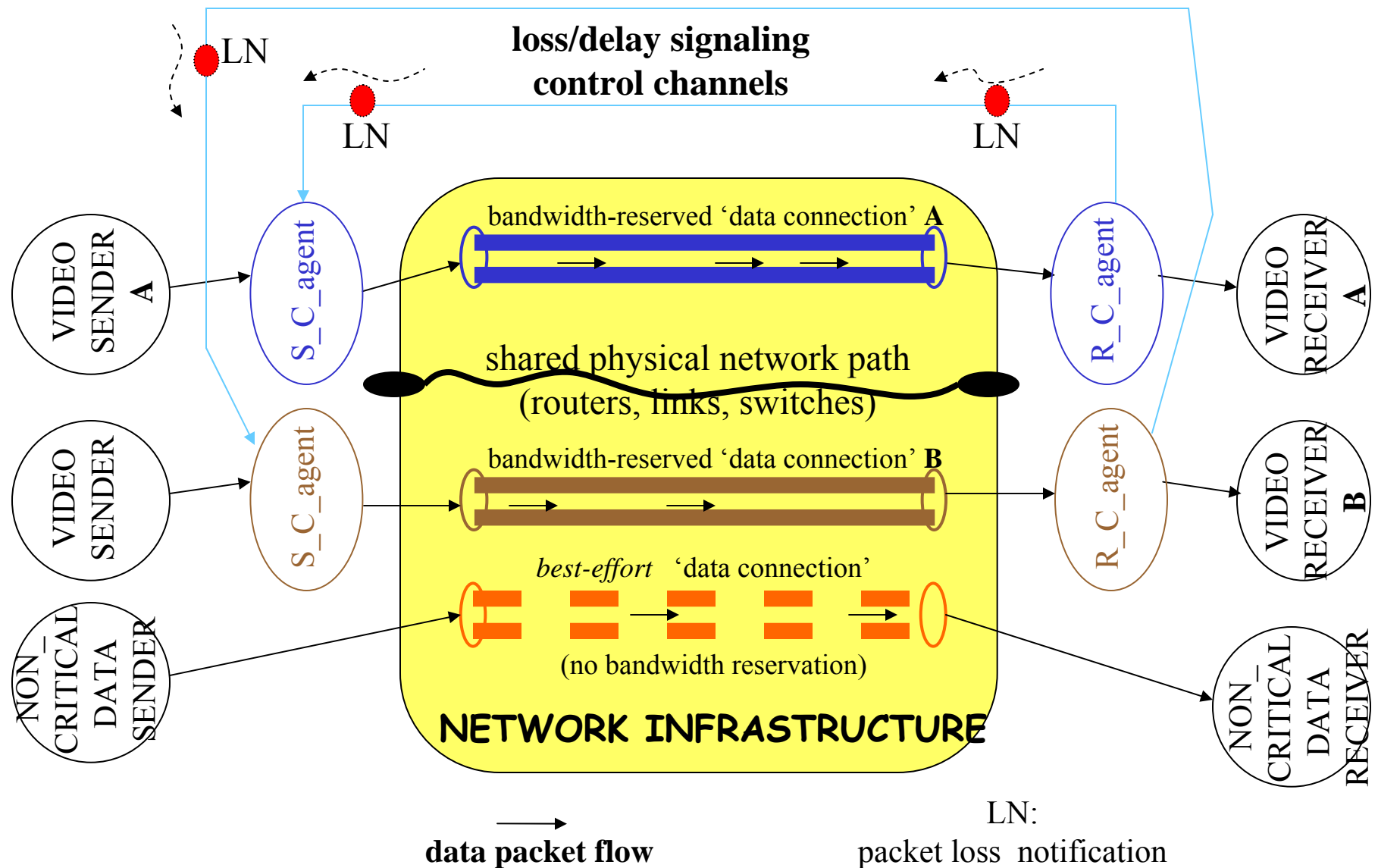
“*online monitor-and-control*” based iterative approach for optimal bandwidth allocations in end-to-end connections to maximize service provider's revenues

- ➔ Existing works on “hose” model of VPNs and “class-based queuing” disciplines provide architectural reference models for our approach

Future Plans

1. Employ “optimal control theory” principles to study the stability and convergence properties of on-line bandwidth allocations
(treat QoS regulation and revenue maximization as instances of “constrained optimization” problems
→ heuristics-based search procedures)
2. Study cross-coupling effects across multiple connections because of the sharing of physical infrastructure between connections
(QoS isolation needs to be achieved between connections)

Cross-coupling between data connections



Question: What is the effect of bandwidth change in connection A, on connection B (due to the sharing physical infrastructure) ?

Cross-coupling (... contd.)

